

**IDENTIFICATION OF MULTILoop PILOT DESCRIBING FUNCTIONS  
OBTAINED FROM SIMULATED APPROACHES TO AN AIRCRAFT CARRIER**

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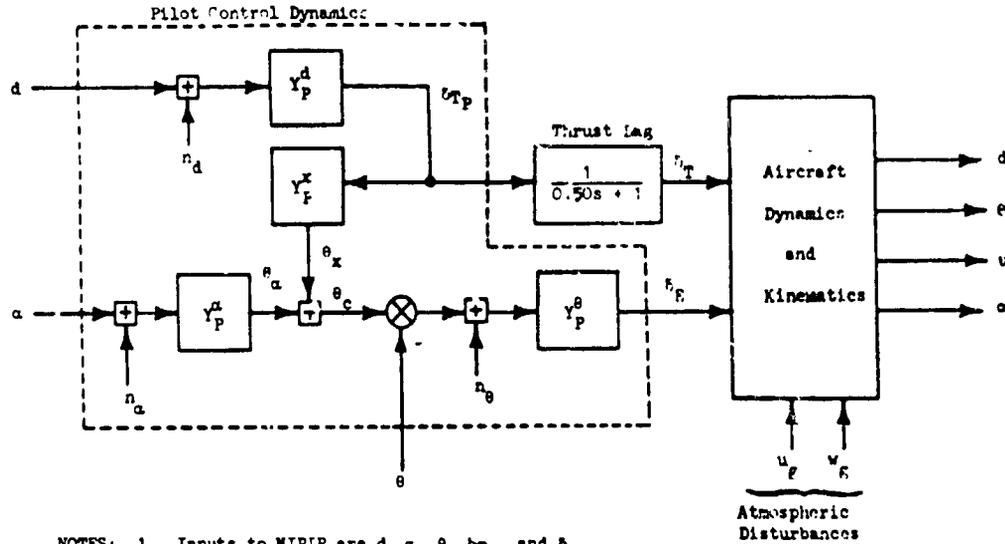
**SUMMARY**

This paper presents some predicted results of a simulation of the carrier aircraft pilot's approach control strategy in the presence of pilot remnant. The aircraft dynamics and the turbulence environment are representative of a trainer-type aircraft. The Non-Intrusive Pilot Identification Program (NIPIP) was used to identify the pilot's control strategy required by this highly-coupled, multiloop control task. The results are presented in terms of frequency responses of the individual elements of the pilot's control strategy and indicate that NIPIP can identify the pilot's describing functions even in the presence of significant amounts of pilot remnant. The next step is to apply NIPIP to a real time, piloted simulation of the same control task. This is planned for the Visual Technology Research Simulator at the Naval Training Equipment Center in Orlando, Florida.

**INTRODUCTION**

The Non-Intrusive Pilot Identification Program (NIPIP) was developed, evaluated, and applied to a simulated approach and landing of a conventional takeoff and landing (CTOL) aircraft (Refs. 1 and 2). The performance evaluation of NIPIP demonstrated that accurate, unbiased estimates of the pilot's input-output describing function,  $Y_p$ , could be obtained without explicit knowledge of the disturbance function (Refs. 1 and 2). The atmospheric disturbance was injected into the aircraft dynamics (instead of being injected into the control loop) and was not used as an input to NIPIP. NIPIP obtained the pilot's input-output describing function by using a time-domain model of  $Y_p$  and a least-squares identification algorithm. Furthermore NIPIP used a "sliding" time window to estimate  $Y_p$  enabling it to identify time-varying behavior in the pilot's control strategy.

Although the CTOL control task of Refs. 1 and 2 was a multiloop manual control problem, there was very little coupling between the fast/slow (throttle) axis and the flight director (column) axis. In effect, two single axis manual control tasks were being performed simultaneously. In the present case of carrier landing, however, the block diagram in Fig. 1 depicts the highly-coupled, multiloop manual control task used by Navy pilots for final approach. The prescribed Navy piloting technique for controlling the aircraft is to regulate glide slope deviation,  $d$ , with throttle,  $\delta_T$ , and angle of attack,  $\alpha$ , with commanded pitch attitude,  $\theta_c$ . Commanded pitch attitude, in turn, is regulated with the elevator,  $\delta_E$ , as shown in Fig. 1 (Ref. 3). In reality, however, a pilot learns that he must "crossfeed" the controls in order to "stay ahead" of the aircraft; that is, when the pilot makes a correction to  $d$  using  $\delta_T$  he also adjusts  $\theta_c$ , as shown in Fig. 1.



- NOTES: 1. Inputs to NIPIP are  $d$ ,  $a$ ,  $\theta$ ,  $\delta_{T_p}$ , and  $\delta_{F_p}$   
 2. Output from NIPIP are  $\hat{Y}_p^d$ ,  $\hat{Y}_p^x$ ,  $\hat{Y}_p^a$ , and  $\hat{Y}_p^b$

Figure 1. Manual Control Task for STOL Approach and Landing

The analytical study by Keffley, et al., in Ref. 4 demonstrates that the "pursuit-crossfeed" piloting technique described above, and shown in Fig. 1, must be used in order to obtain adequate approach precision. However significant skill development is required to adopt the proper crossfeed for the aircraft and approach speed being flown. If the pilot is required to fly a different aircraft, as is done when proceeding from a trainer to a fleet aircraft, he must readapt his crossfeed gain. Furthermore Ref. 4 shows that compensatory  $Y_p^a$  can become a very low and almost negligible gain when the pilot has learned to develop the pursuit crossfeed,  $Y_p^x$ .

To prepare for identifying skill development in the pilot's control strategy, NIPIP was used first in an inanimate simulation in scaled time to quantify the various elements of the pilot's control technique; i.e.,  $Y_p^d$ ,  $Y_p^x$ ,  $Y_p^a$ , and  $Y_p^b$  in Fig. 1 in the presence of pilot remnant. Our ultimate goal is to use NIPIP for analyzing simulated approaches to an aircraft carrier in real time using the Visual Technology Research Simulator (VTRS, Ref. 5) at the Naval Training Equipment Center (NTEC) in Orlando, Florida. This will be done within the near future using Navy pilots and a number of simulated aircraft.

Prior to using NIPIP in conjunction with the piloted simulation described above, we wanted to know if NIPIP could indeed identify the individual elements of the complex control loop structure shown in Fig. 1. In order to prove NIPIP's ability to do this, we simulated the aircraft dynamics, the pilot describing functions, and the pilot remnant shown in Fig. 1. The combined pilot-aircraft system was disturbed with simulated atmospheric turbulence. The results of analyzing this data are presented in the remainder of this paper.

### TECHNICAL APPROACH

The aircraft dynamics used in the simulation were representative of a T2-C at 108 kt, flaps fully extended (Ref. 6). The various pilot describing functions indicated in Fig. 1 were as follows:

$$Y_P^\theta = -0.30 \frac{s + 10.0}{s + 3.0} (\text{rad } \delta_E / \text{rad } \theta_e)$$

$$Y_P^d = 32.6 \frac{2.0}{s + 2.0} (\text{lb } \delta_T / \text{ft } d)$$

$$Y_P^x = 8.2E-5 \frac{3.0}{s + 3.0} (\text{rad } \theta_x / \text{lb } \delta_{T_P})$$

$$Y_P^\alpha = 0.0$$

The compensation defined above yields a pitch-loop bandwidth of about 3.0 rad/sec and a glide slope loop bandwidth of about 0.50 rad/sec. The angle of attack loop was not closed for the results presented herein (it is a very low bandwidth loop) but will be added in the future. The crossfeed was designed such that the steady-state airspeed will remain unchanged for any amount of throttle deflection. It should be mentioned that, from a control system design point of view, it is possible to use pure gains for  $Y_P^\theta$ ,  $Y_P^d$ , and  $Y_P^x$ . However this would have been a trivial identification problem for NIPIP and would not necessarily be representative of human pilot dynamics.

Pilot remnant was simulated using shaped white noise and injected into the control loops as shown in Fig. 1. The shaping filters used to obtain  $n_\theta$  and  $n_d$  were (Ref. 7)

$$\frac{n_d}{\eta_d} = \frac{2.58}{s + 3.33} \sigma_{n_d}$$

$$\frac{n_\theta}{\eta_\theta} = \frac{1.41}{s + 1.0} \sigma_{n_\theta}$$

where  $n_d$  and  $n_\theta$  are independent white noise sources and  $\sigma_{n_d}$  and  $\sigma_{n_\theta}$  are the rms values of  $n_d$  and  $n_\theta$ . The values of  $\sigma_{n_d}$  and  $\sigma_{n_\theta}$  were set such that

$$\sigma_{n_d} = 0.25 \sigma_d$$

$$\sigma_{n_\theta} = 0.25 \sigma_\theta$$

where  $\sigma_d$  and  $\sigma_\theta$  are the rms values of  $d$  and  $\theta$  when no remnant is present.

The atmospheric turbulence was simulated using pseudo-random noise (sum of sine waves) to simulate the axial,  $u_g$ , and the vertical,  $w_g$ , gusts. The

rms values for both  $u_g$  and  $w_g$  were 3.0 fps for the results contained herein. The bandwidths of both  $u_g$  and  $w_g$  were about 0.50 rad/sec.

## RESULTS

Some typical time histories of the pilot-aircraft response to turbulence with and without simulated pilot remnant are shown in Fig. 2. Note that the remnant has a fairly large effect on the controls,  $\delta_T$  and  $\delta_E$ , but a relatively small effect on the aircraft response. This is because the aircraft acts as a filter and smooths the noisy control inputs. The  $\delta_T$  response looks granular because a sampling rate of 0.50 sec was deliberately used to simulate  $Y_p^d$ . A sampling rate of 0.10 sec was used to simulate  $Y_p^\theta$ .

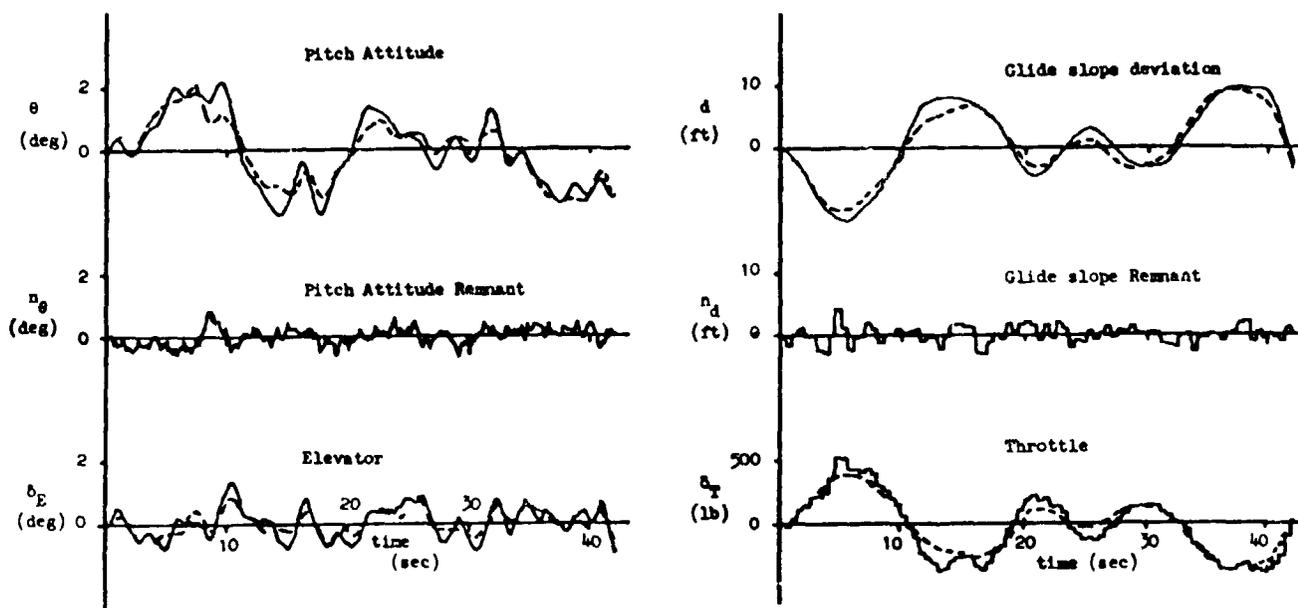


Figure 2. Pilot-Aircraft Response to Turbulence with and Without Simulated Pilot Remnant

The time histories of  $d$ ,  $\delta_T$ ,  $\theta$ , and  $\delta_E$  shown in Fig. 2 were used as inputs to NIPIP, from which NIPIP computed the desired pilot describing functions,  $Y_p^\theta$ ,  $Y_p^x$ , and  $Y_p^d$ . A detailed discussion of how NIPIP performs these calculations can be found in Ref. 2 and will not be repeated here.

Figures 3, 4, and 5 compare the frequency responses of the actual pilot dynamics to the outputs of NIPIP. The length of the time windows used in computing  $Y_p^\theta$  and  $Y_p^x$  was 30 sec, but was 60 sec for  $Y_p^d$ . The longer time window was used for computing  $Y_p^d$  because the  $d + \delta_T$  loop has a much lower bandwidth than the  $\theta + \delta_E$  loop. The three estimates of  $Y_p(j\omega)$  shown in the figures demonstrate how the NIPIP outputs vary with time (even though the simulated pilot describing functions were stationary). The variation of all three estimates is fairly low, especially in the neighborhood of the crossover frequency. The explanation for these phenomena is the more adverse signal-to-noise ratios outside the region of the crossover frequency. This result was also demonstrated in Ref. 2.

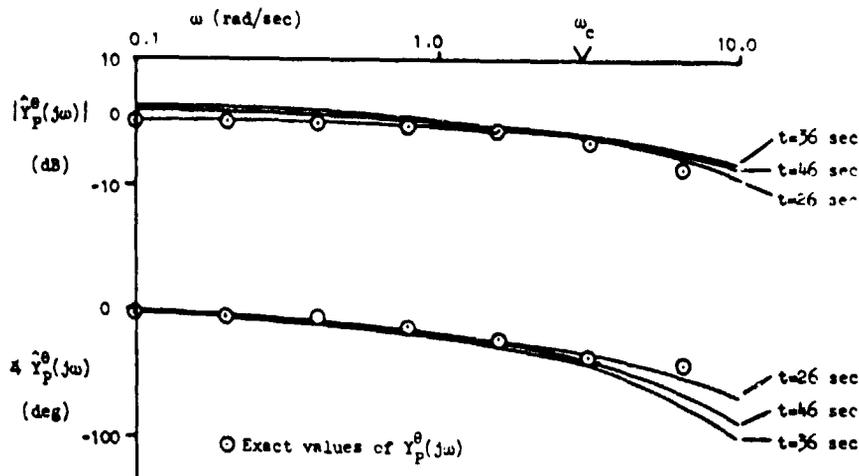


Figure 3. Frequency Response of  $\hat{Y}_\theta$  with 25 Percent Remnant and a Time Window of 30 sec

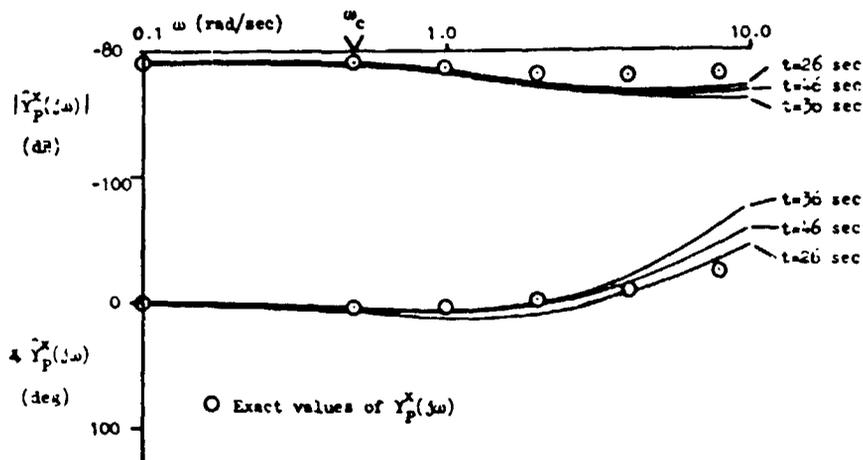


Figure 4. Frequency Response of  $\hat{Y}_p^x$  with 25 Percent Remnant and a Time Window of 30 sec

#### CONCLUDING REMARKS

The Non-Intrusive Pilot Identification Program (NIPI) was used to estimate the pilot's control strategy required for the final approach and landing on an aircraft carrier. The estimates for the pilot's describing functions are quite accurate in the region of their respective crossover frequencies, (i.e.,  $\omega_d$  and  $\omega_\theta$ ). The errors could be further reduced by increasing the lengths of the time window. The penalty for doing this, however, is that any time-variation in the pilot's actual control strategy tends to be masked. The issue of time-variation in piloting technique will be addressed when we analyze the data from a piloted simulation on the Visual Technology Research Simulator at the Naval Training Equipment Center in Orlando, Florida.

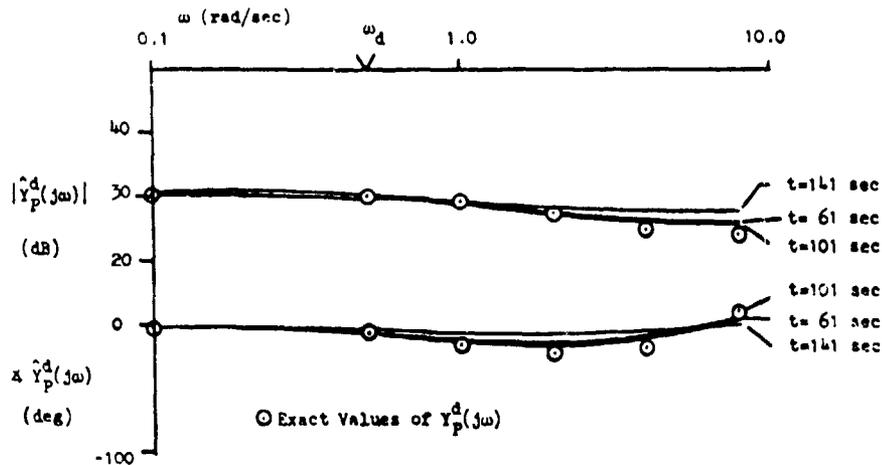


Figure 5. Frequency Response of  $\hat{Y}_p^d(j\omega)$  with 25 Percent Remnant

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